## EAS270, "The Atmosphere" Quiz 3 18 Nov., 2009

Professor: J.D. Wilson <u>Time available</u>: 15 mins <u>Potential Value</u>: 10%

*Instructions*: For all 10 questions, choose what you consider to be the best (or most logical) option, and use a pencil to mark that choice on the answer form. **Eqns/data given at back**. You may keep this quiz.

- 1. According to the "conveyor belt" theory of the midlatitude storm, the cold conveyor belt
  - (a) is a cold westerly or north-westerly stream of surface air advancing behind the cold front and displacing the air in the warm sector
  - (b) is a dry westerly or north-westerly upper airstream that overruns the warm front
  - (c) is a cold southerly or south-easterly surface stream in the warm sector
  - (d) is a cold surface easterly on the cold side of the warm front  $\checkmark \checkmark$
  - (e) is a cold vertical current sinking at the centre of low pressure
- 2. A deep (i.e. order 1 kilometer) temperature inversion sometimes persists in winter over central Alberta because \_\_\_\_\_
  - (a) snow cover reflects the weak incoming solar energy flux of the short winter day
  - (b) continental winter airmasses at high latitude undergo net daily heat loss to the surface, which is itself cooling due to net radiative energy loss
  - (c) winds aloft may advect milder air over the cold surface air
  - (d) high humidity of the winter airmass results in its being cooled from the top by longwave radiation
  - (e) all three factors (a), (b) and (c) are pertinent  $\checkmark \checkmark$
- 3. The height of the Lifting Condensation Level (LCL) in an airmass is related to \_\_\_\_\_
  - (a) surface temperature T
  - (b) surface dewpoint  $T_d$
  - (c) surface temperature-dewpoint spread  $T T_d \checkmark \checkmark$
  - (d) 1000 500 hPa thickness of the airmass
  - (e) 850 500 hPa thickness of the airmass
- 4. A parcel moving around a northern hemisphere trough axis has \_\_\_\_\_ relative vorticity; the decay of that vorticity as the parcel moves out of the trough results in \_\_\_\_\_ aloft
  - (a) cyclonic; convergence (area shrinkage)
  - (b) cyclonic; divergence  $\checkmark \checkmark$
  - (c) anticyclonic; convergence
  - (d) anticyclonic; divergence

- 5. A cold front is sloped by (nominally) the ratio 1:100. If one moves perpendicularly away from the front by distance 100 km into the cold airmass, the frontal boundary is about \_\_\_\_\_ above ground
  - (a) 10 m
  - (b) 100 m
  - (c) 1000 m  $\checkmark\checkmark$
  - (d) 10 km
  - (e) 100 km
- 6. The simplest explanatory paradigm for the existence of planetary waves (same as long waves, or Rossby waves) in the flow aloft focuses on the absolute vorticity  $\zeta$  of a moving parcel. The flow pattern in the Rossby waves is such that the absolute vorticity of the parcel \_\_\_\_\_
  - (a) oscillates about 3 to 7 times around the globe
  - (b) equals the earth's vorticity f
  - (c) is maximized
  - (d) is minimized
  - (e) is constant  $\checkmark\checkmark$
- 7. The most common summertime airmass type in central and northern Alberta is \_\_\_\_\_
  - (a) cA
  - (b) cP √√
  - (c) cT
  - (d) mT
  - (e) mP
- 8. Figure (1) is a CMC analysis for the \_\_\_\_\_ level; at Edmonton, the height (above sea level) of this surface is about \_\_\_\_\_
  - (a) surface; 700 m
  - (b) 850 hPa; 146 dam  $\checkmark \checkmark$
  - (c) 700 hPa; 146 dam
  - (d) 500 hPa; 46 dam
  - (e) 250 hPa; 460 dam

9. Referring to Figure (1), warm advection is occurring at location(s)

- (a) A
- (b) B **√**√
- (c) C
- (d) A & B
- (e) A & C
- 10. Referring to Figure (2), the ratio of the lengths L1, L2 as measured by a ruler on the map is about L1/L2 = 1/4 and the true (geographic) distance corresponding to L2 is  $11 \times 111$  km. According to the Geostrophic wind equation, the wind speed at Baker lake is expected to be about \_\_\_\_\_ m s<sup>-1</sup>
  - (a) 5
  - (b) 10
  - (c) 15
  - (d) 30 **v**
  - (e) 50

## Equations and Data.

- one full barb on the wind vector corresponds to 5 m  $\rm s^{-1},$  and a solid triangle corresponds to 25 m  $\rm s^{-1}$
- $V = \frac{g}{f} \frac{\Delta h}{\Delta n}$

The Geostrophic wind equation.  $\Delta h$  [m], the change in height of a constant pressure surface over distance  $\Delta n$  [m] normal to (i.e. perpendicular to) the height contours;  $f = 2\Omega \sin \phi$  [s<sup>-1</sup>] the Coriolis parameter (where  $\Omega = 2\pi/(24 \times 60 \times 60) = 7.27 \times 10^{-5} \text{ s}^{-1}$  is the angular velocity of the earth, and  $\phi$  is latitude); g = 9.81 [m s<sup>-2</sup>] acceleration due to gravity.

•  $\frac{\Delta\zeta}{\Delta t} = -\zeta \ div$ 

The Vorticity Theorem.  $\Delta \zeta [s^{-1}]$ , the change in the absolute vorticity ( $\zeta = f + \omega_R$ ) of a parcel over time interval  $\Delta t$ ; div  $[s^{-1}]$  the divergence.



Figure 1: CMC analysis 00Z Thurs 29 Oct. 2009.



Figure 2: CMC analysis. Question 10 refers to windspeed at Baker Lake, the station at 64°N reporting  $T = -18^{\circ}$ C.